

Reflections on capital taxation

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Optimal tax theory

- What have we learned since 1970 ?
 - We have made some (limited) progress regarding optimal labor income taxation
 - But our understanding of optimal capital tax is close to zero...virtually no useful theory...
- in this presentation, I will present new results on optimal capital taxation & try to convince you that they are useful

(on-going work, « A Theory of Optimal Capital Taxation », 2011, joint with E. Saez)

Optimal labor income taxation

- Pre-tax labor income: $y = \theta l$ (θ = productivity)
- Disposable income: $c = y - T(y)$
- Mirrlees-Diamond-Saez formula:

$$T'/(1-T') = 1/e [1-F(y)]/yf(y)$$

→ this is a useful formula, because it can be used to put numbers and to think about real-world tax policy & trade-offs in an informed way (or at least in a more informed way than in the absence of theory...)

(=minimalist definition of a useful theory)

- (1) If elasticity $e = \text{flat}$, then **marginal tax rates $T'(y)$ should follow a U-shaped pattern**: high at bottom & top, but low in the middle, because high pop density; but e might be higher at bottom (extensive participation effects): study of work-credit trade-offs etc.
- (2) **As $y \rightarrow \infty$, $T' \rightarrow 1/(1+ae)$** ($a = \text{Pareto coeff}$)
 ($a=2.5 \rightarrow 1.5$ in US since 70s: fatter upper tail)
 \rightarrow if $a=1.5$ & $e=0.1$, $t'=87\%$; but if $e=0.5$, $t'=57\%$
- **Main limitation**: at the top, e has little to do with labor supply; tax enforcement issues; rent extraction issues; marginal product illusion

Optimal capital taxation

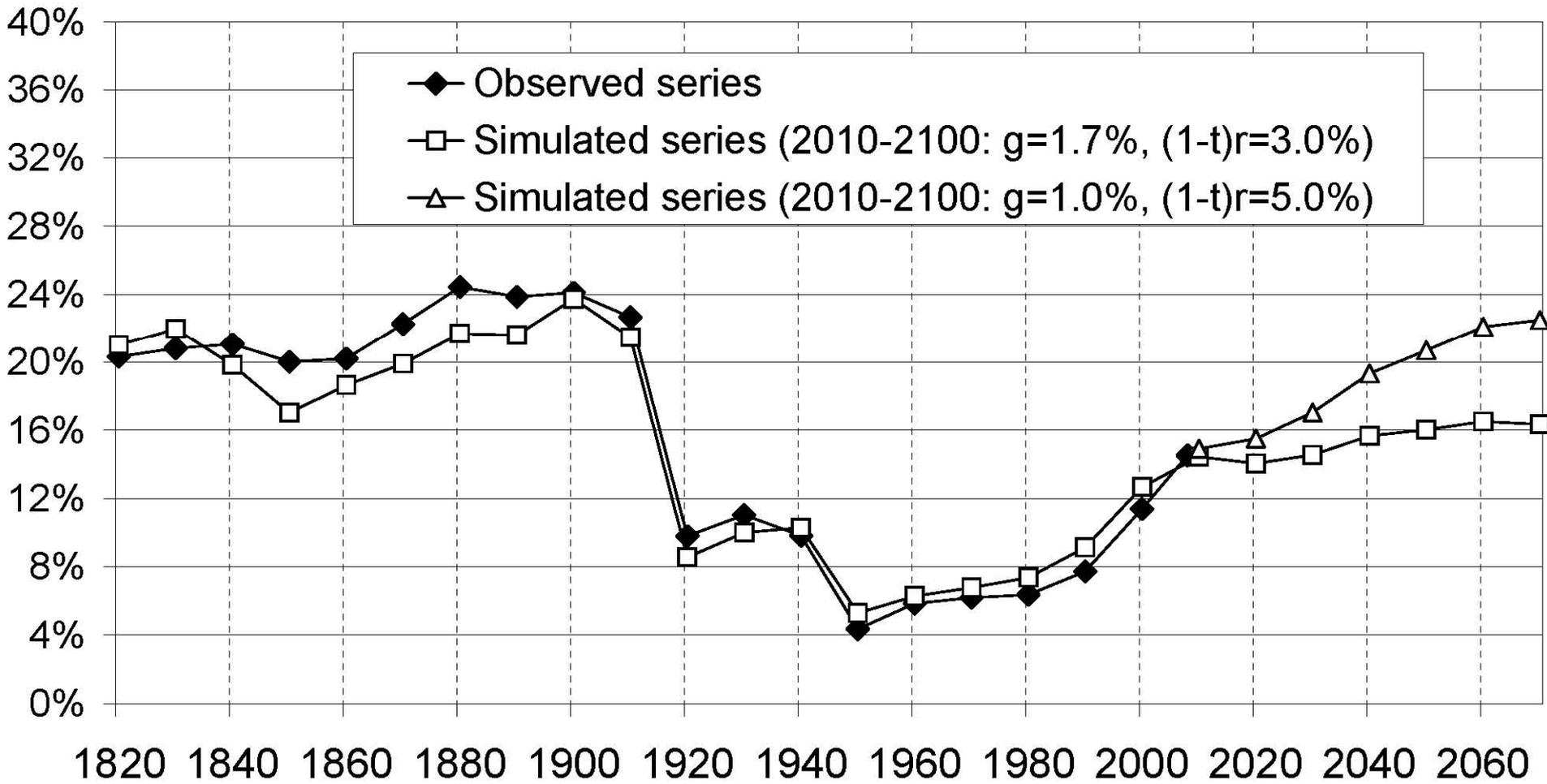
- Standard theory: optimal capital rate $\tau_K=0\%$...
(Chamley-Judd, Atkinson-Stiglitz)
- Fortunately nobody seems to believe in this extreme result: nobody is pushing for the complete suppression of corporate tax, inheritance tax, property tax, etc.
- Eurostat 2010: total tax burden EU27 = 39% of GDP, including 9% of GDP in capital taxes
- The fact that we have no useful theory to think about these large existing capital taxes is one of the major failures of modern economics

A Theory of Inheritance Taxation

- Inheritance = 1st key ingredient of a proper theory of optimal capital taxation
- Imperfect K markets = 2nd key ingredient (to go from inheritance tax to lifetime K tax)
- With no inheritance (100% life-cycle wealth) **and** perfect K markets, then the case for $t_K=0\%$ is indeed very strong: $1+r$ = relative price of present consumption → do not tax r (Atkinson-Stiglitz: do not distort relative prices, use redistributive labor income taxation only)

- Key parameter: $b_y = B/Y =$ aggregate annual bequest flow B /national income Y
- Very large historical variations:
 - $b_y = 20-25\%$ of Y until WW1 (=very large)
 - $b_y < 5\%$ in 1950-1960 (~Modigliani lifecycle story)
 - b_y back up to ~15% by 2010
- See « On the Long-Run Evolution of Inheritance – France 1820-2050 », Piketty WP'10, forth.QJE'11
- **$r > g$ story:** g small & $r \gg g \rightarrow$ inherited wealth capitalizes faster than growth $\rightarrow b_y$ high

Figure 9: Observed vs simulated inheritance flow B/Y, France 1820-2100



Why Chamley-Judd fails with inheritances?

C-J in the dynastic model implies that inheritance tax rate τ_K should be zero in the long-run

(1) If social welfare is measured by the discounted utility of first generation then $\tau_K=0$ because inheritance tax creates an infinitely growing distortion but...

this is a crazy social welfare criterion that does not make sense when each period is a generation

(2) If social welfare is measured by long-run steady state utility then $\tau_K=0$ because supply elasticity e of inheritance wrt to price is infinite but...

we want a theory where e is a free parameter

Why Atkinson-Stiglitz fails with inheritances?

A-S applies when sole source of lifetime income is

$$\text{labor: } c_1 + c_2 / (1+r) = \theta I - T(\theta I)$$

Inheritances provide an additional source of life-income:

$$c + b(\text{left}) / (1+r) = \theta I - T(\theta I) + b(\text{received})$$

→ conditional on θI , high $b(\text{left})$ is a signal of high $b(\text{received})$ [and hence low u_c] → “Commodity” $b(\text{left})$ should be taxed even with optimal $T(\theta I)$

Extreme example: no heterogeneity in θ but pure heterogeneity in bequests motives → bequest taxation is desirable for redistribution

Note: bequests generate positive externality on donors and hence should be taxed less (but still >0)

A Good Theory of Optimal Inheritance Tax

Should follow the optimal labor income tax progress and hence needs to capture key trade-offs robustly:

- 1) **Welfare effects:** people dislike taxes on bequests they leave, or inheritances they receive, but people also dislike labor taxes → interesting trade-off
- 2) **Behavioral responses:** taxes on bequests might (a) discourage wealth accumulation, (b) affect labor supply of inheritors (Carnegie effect) or donors
- 3) Results should be **robust** to heterogeneity in tastes and motives for bequests within the population and formulas should be expressed in terms of estimable “**sufficient statistics**”

Simplified 1-period model

- Agent i in cohort t (1 cohort = 1 period = H years)
- Born at the beginning of period t
- Receives bequest b_{ti} at beginning of period t
- Works during period t
- Receives labor income y_{Lti} at end of period t
- Consumes c_{ti} & leaves bequest b_{t+1i}
- Max $U(c_{ti}, b_{t+1i}) = (1 - s_{Bi}) \log(c_{ti}) + s_{Bi} \log(b_{t+1i})$

s.c. $c_{ti} + b_{t+1i} \leq y_{Lti} + b_{ti} e^{rH}$ (H =generation length)

$$\rightarrow b_{t+1i} = s_{Bi} (y_{Lti} + b_{ti} e^{rH})$$

- Steady-state growth: $Y_t = K_t^\alpha H_t^{1-\alpha}$, with $H_t = H_0 e^{gt}$ and g =exogenous productivity growth rate
- Assume $E(s_{Bi} | y_{Lti}, b_{ti}) = s_B$ (i.e. preference shocks s_{Bi} i.i.d. & indep. from y_{Lti} & b_{ti} shocks)
- Then the aggregate transition equation takes a simple linear form:

$$B_{t+1} = s_B (Y_{Lt} + B_t e^{rH})$$

$$b_{yt} = B_t / Y_t \rightarrow b_y = s_B (1-\alpha) e^{(r-g)H} / (1-s_B e^{(r-g)H})$$

- b_y is an increasing function of $r-g$, α & s_B
- $r-g=3\%$, $H=30$, $\alpha=30\%$, $s_B=10\%$ $\rightarrow b_y=23\%$
- b_y indep. from tax rates τ_L & τ_B (elasticity $e=0$)

Optimal inheritance tax formulas

- Rawlsian optimum, i.e. from the viewpoint of those who receive zero bequest ($b_{ti}=0$)
 - Proposition 1 (pure redistribution, zero revenue)
Optimal bequest tax: $\tau_B = [b_y - s_B(1-\alpha)]/b_y(1+s_B)$
 - If $b_y=20\%$, $\alpha=30\%$, $s_B=10\%$, then $\tau_B = 59\%$
 - I.e. bequests are taxed at $\tau_B=59\%$ in order to finance a labor subsidy $\tau_L = \tau_B b_y / (1-\alpha) = 17\%$
- zero receivers do not want to tax bequests at 100%, because they themselves want to leave bequests → trade-off between taxing successors from my cohort vs my own children

- Proposition 2 (exo. revenue requirements τY)
 $\tau_B = [b_y - s_B(1 - \alpha - \tau)] / b_y(1 + s_B)$, $\tau_L = (\tau - \tau_B b_y) / (1 - \alpha)$

- If $\tau = 30\%$ & $b_y = 20\%$, then $\tau_B = 73\%$ & $\tau_L = 22\%$
- If $\tau = 30\%$ & $b_y = 10\%$, then $\tau_B = 55\%$ & $\tau_L = 35\%$
- If $\tau = 30\%$ & $b_y = 5\%$, then $\tau_B = 18\%$ & $\tau_L = 42\%$

→ with high bequest flow b_y , zero receivers want to tax inherited wealth at a higher rate than labor income (73% vs 22%); with low bequest flow they want the opposite (18% vs 42%)

- The level of the bequest flow b_y matters a lot for the level of the optimal bequest tax τ_B
- Intuition: with low b_y (high g), not much to gain from taxing bequests, and this is bad for my children; i.e. with high g what matters is the future, not the rentiers of the past
- but with high b_y (low g), it's the opposite: it's worth taxing bequests & rentiers, so as to reduce labor taxation and to allow people with zero inheritance to leave a bequest...

- Proposition 3 (any utility function, elasticity $e > 0$)

$$\tau_B = [b_y - s_{B0}(1 - \alpha - \tau)] / b_y(1 + e + s_{B0})$$

With s_{B0} = aver. eff. saving rate of zero receivers

e = elasticity of bequest flow b_y wrt $1 - \tau_B$

- If $b_y = 10\%$, $s_{B0} = 10\%$, and $e = 0$ then $\tau_B = 55\%$ & $\tau_L = 35\%$
- If $e = 0.2$, then $\tau_B = 46\%$ & $\tau_L = 36\%$
- If $e = 0.5$, then $\tau_B = 37.5\%$ & $\tau_L = 37.5\%$
- Behavioral responses matter but not hugely as long as elasticity is reasonable
- Note that if $s_{B0} = 0$ (zero receivers never want to leave bequests), we obtain $\tau_B = 1/(1 + e)$, the classical revenue maximizing inverse elasticity rule

From inheritance tax to capital tax

- With perfect K markets, it's always better to have a big tax τ_B on bequest, and zero lifetime tax τ_K on K stock or K income, so as to avoid intertemporal distortion
- However in the real world most people prefer paying a property tax $\tau_K=1\%$ during 30 years rather than a big bequest tax $\tau_B=30\%$
- Total K taxes = 9% GDP, but bequest tax $<1\%$
- In our view, the collective choice in favour of lifetime K taxes is a rational consequence of K markets imperfections, not of tax illusion

- Other reason for lifetime K taxes: fuzzy frontier between capital income and labor income, can be manipulated by taxpayers
 - Proposition 4: With fuzzy frontier, then $\tau_K = \tau_L$ (capital income tax rate = labor income tax rate), and bequest tax $\tau_B > 0$ iff bequest flow b_y sufficiently large
- comprehensive income tax + bequest tax = what we observe in many countries
- (= what Mirrlees Review proposes; except for « normal rate » exemption → this would require an even larger bequest tax rate τ_B)

- Pb: in real world, K-labor frontier not entirely fuzzy; see property tax example → one needs K market imperfections to explain obs. tax preferences
- Two kinds of K market imperfections:
 - (1) Liquidity pbs: paying $\tau_B=30\%$ might require successors to sell the property (borrowing constraints + indivisibility pb)
→ empirically, this seems to be an important reason why people dislike inheritance taxes (« death taxes ») much more than property taxes & other lifetime K taxes

(2) Uninsurable uncertainty about future rate of return on inherited wealth: what matters is $b_{tj} e^{rH}$, not b_{tj} ; but at the time of setting the bequest tax rate τ_B , nobody has any idea about the future rate of return during the next 30 years... (idiosyncratic + aggregate uncertainty)

→ with uninsurable uncertainty on r , it's more efficient to split the tax burden between one-off transfer taxes and flow capital taxes paid during entire lifetime

- In case the intertemporal elasticity of substitution is small, and liquidity pb and/or uninsurable uncertainty on future r is substantial, then maybe it's not too surprising to find that lifetime capital taxes dominate one-off transfer taxes in the real world

- Proposition 5. Depending on parameters, optimal capital income tax rate τ_K can be $>$ or $<$ than labor income tax rate τ_L ; if IES σ small enough and/or b_y large enough, then $\tau_K > \tau_L$ (=what we observe in UK & US until the 1970s)
 - True optimum: K tax exemption for self-made wealth (savings accounts); but this requires complex individual wealth accounts
 - Progressive consumption tax cannot implement rawlsian optimum (bc labor & inheritance treated similarly by τ_C)
- (Kaldor 1955: progressive τ_C + bequest tax τ_B)

Conclusion

- Main contribution: simple, tractable formulas for analyzing optimal tax rates on inheritance and capital
- Main idea: economists' emphasis on $1+r$ =relative price & second-order intertemporal distortions is excessive
- The important point about r is that it's large ($r>g \rightarrow$ tax inheritance, otherwise society is dominated by rentiers), volatile and unpredictable (\rightarrow use lifetime K taxes to implement optimal inheritance tax)